

# High-z Quasar Survey with IMS: Are Quasars Growing Fast in the Early Universe?

Kim et al., submitted to ApJ

Yongjung Kim<sup>1,2</sup>, Myungshin Im<sup>1,2</sup>, Yiseul Jeon<sup>1,3</sup>, Minjin Kim<sup>4,5</sup>, and IMS Team<sup>1</sup>

<sup>1</sup>Center for the Exploration of the Origin of the Universe (CEOU)

<sup>2</sup>Astronomy Program, Dept. of Physics & Astronomy, Seoul National University (SNU)

<sup>3</sup>LOCOOP, Inc

<sup>4</sup>Korea Astronomy and Space Science Institute (KASI)

<sup>5</sup>University of Science and Technology (UST)



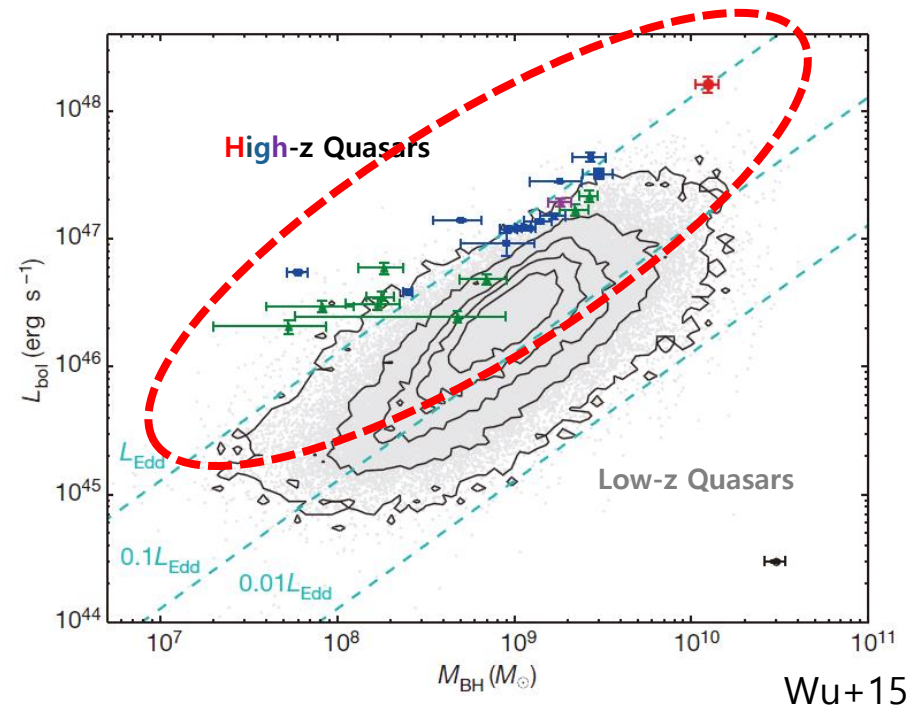
# Introduction

- **Why High Redshift Quasars?**

- Quasars are energetic sources in the universe
  - A unique sample to study formation of the first supermassive black holes (SMBHs)

- **Properties of High Redshift Quasars**

- Compared to low redshift quasars,
  - No evolution in UV/optical spectra
  - Larger fraction of dust poor hosts
  - Existence of SMBHs with  $10^{8-10} M_{\text{sun}}$
  - Higher Eddington ratio of  $\lambda_{\text{Edd}} \sim 1$



# Introduction

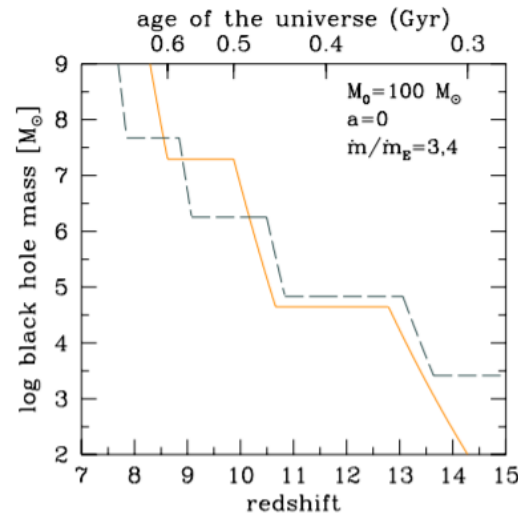
## • Theoretical Challenge for SMBH Formation

- Time requirements for growing to  $10^9 M_{\text{sun}}$  SMBH
  - **0.8 Gyr** for seed BH of  $100 M_{\text{sun}}$  with  $\lambda_{\text{Edd}}=1$
  - But only **0.5 Gyr** from the first formation of seed BH ( $z \sim 10$ ) to  $z \sim 6$
- To solve this problem,
  - **Super-Eddington accretion** ( $\lambda_{\text{Edd}} > 1$ ) of stellar mass ( $\sim 100 M_{\text{sun}}$ ) BHs
  - BH growth from **massive seed BHs** with  $10^4$ - $10^6 M_{\text{sun}}$

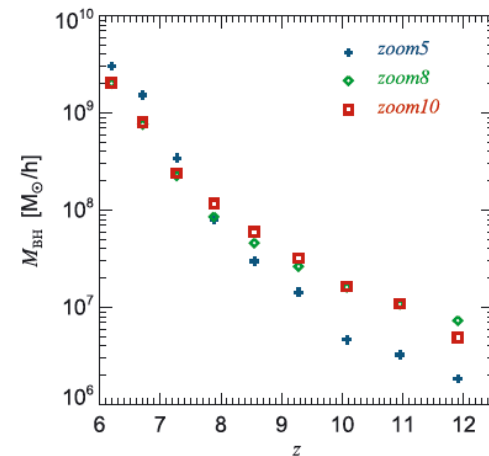
**0.8 Gyr!**

$$M_{\text{BH}}(t) = M_{\text{BH},0} \times \exp\left[\lambda_{\text{Edd}} f_{\text{Duty}} \frac{(1-\epsilon)t - t_0}{\epsilon t_{\text{Edd}}}\right]$$

$10^9 M_{\text{sun}}$  (red arrow pointing to  $M_{\text{BH}}(t)$ )  
 $100 M_{\text{sun}}$  (red arrow pointing to  $M_{\text{BH},0}$ )  
 $\lambda_{\text{Edd}} = 1$  (arrow pointing to  $\lambda_{\text{Edd}}$ )  
 $f_{\text{Duty}} = 1.0$  (arrow pointing to  $f_{\text{Duty}}$ )  
 $\epsilon = 0.1$  (arrow pointing to  $\epsilon$ )  
 $t_{\text{Edd}} = 450 \text{ Myr}$  (arrow pointing to  $t_{\text{Edd}}$ )



Madau+14



Sijacki+09

# Introduction

- For Testing the Scenarios,

- Understanding intrinsic  $\lambda_{\text{Edd}}$  of High- $z$  quasars is required

- Intrinsic  $\lambda_{\text{Edd}}$  distribution of  $z \sim 6$  quasars (Willott+10)

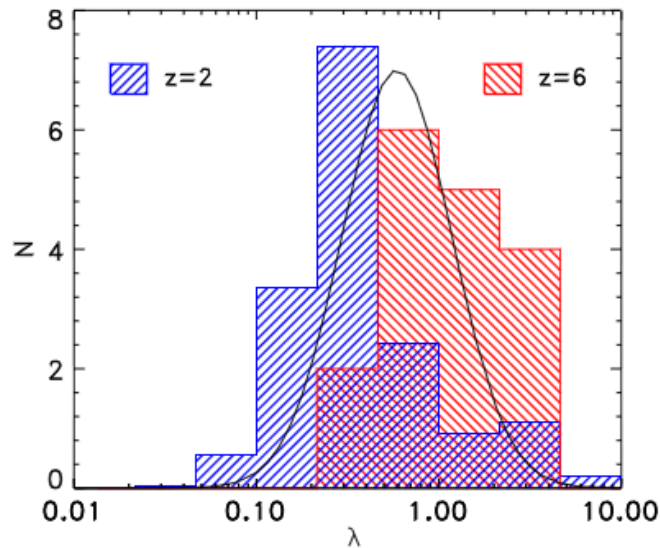
- Using 17 bright quasars ( $L_{\text{bol}} > 10^{47} \text{ erg s}^{-1}$ )  $\rightarrow \log \lambda_{\text{Edd}} = -0.22 \pm 0.30 \text{ dex}$  (black line)

- Biased sample toward luminous ones!

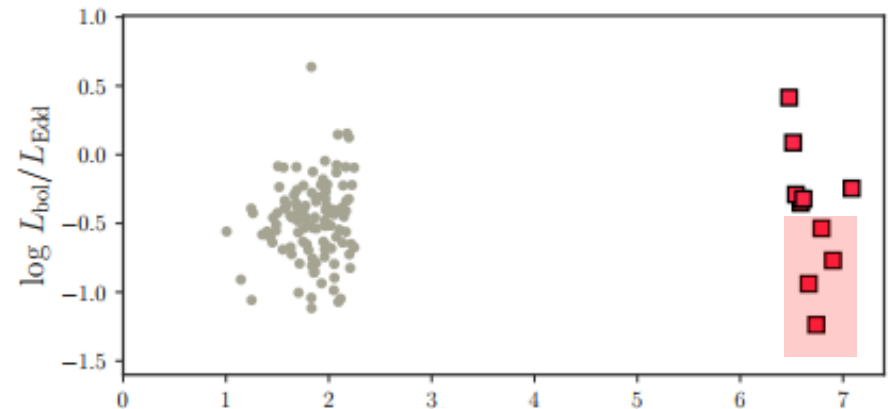
- Extending the luminosity range is required

- Low  $\lambda_{\text{Edd}}$  quasars ( $L_{\text{bol}} = 10^{46.5-47} \text{ erg s}^{-1}$ ) are discovered at  $z \sim 6.5$  (Mazzucchelli+17)

- Possible  $L_{\text{bol}} - \lambda_{\text{Edd}}$  correlation found at low redshift



Willott+10a

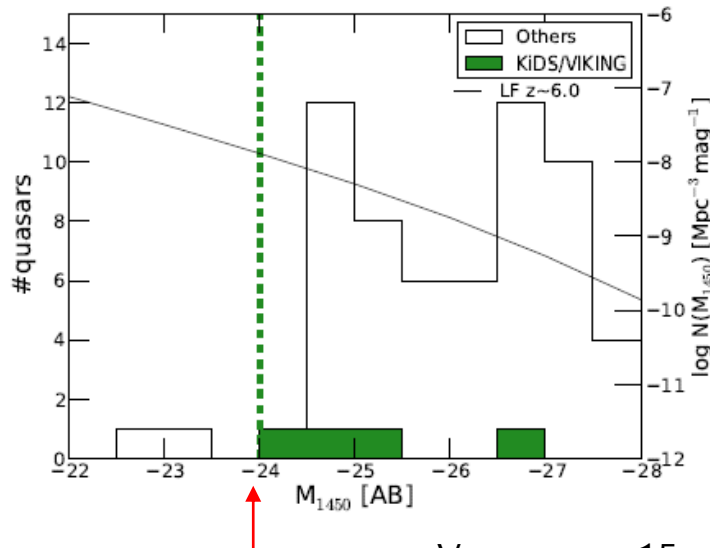
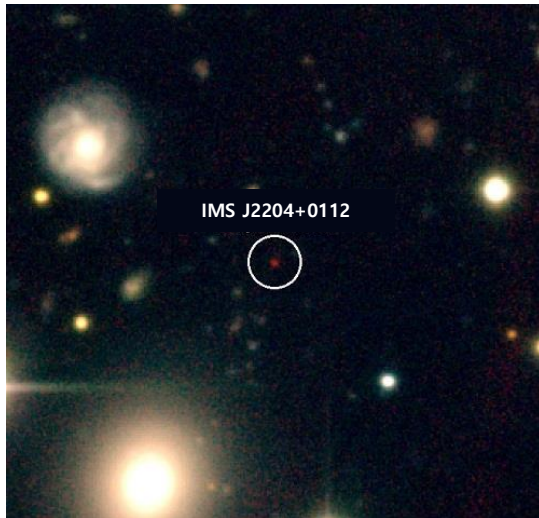


Mazzucchelli+17

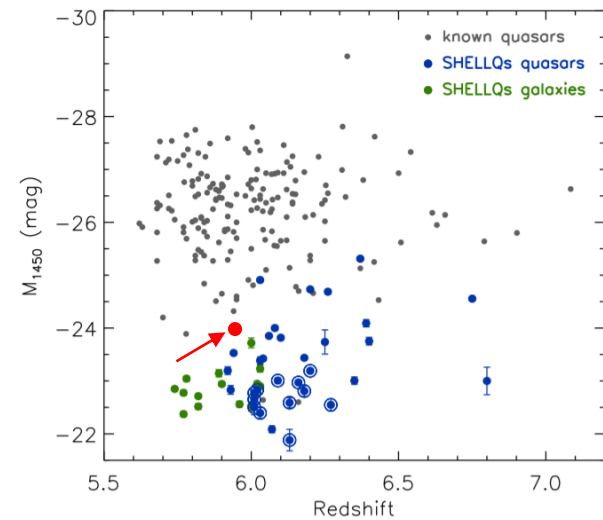
# Introduction

## • IMS J2204+0112

- One of the low luminous quasars at  $z \sim 6$  (Kim+15)
  - $M_{1450} = -23.99$  mag,  $z = 5.926$
- Supported by K-GMT Science Program by KASI (PID: gemini\_KR-2015A-023)
- A good starting point to see the BH growth of quasar population at  $z \sim 6$



Venemans+15



Matsuoka+17

# Observation

- **Magellan/FIRE Observation (Sep. 2015)**

- **Magellan Baade 6.5 m Telescope** at Las Campanas Observatory, Chile
- Folded-port InfraRed Echellette (**FIRE**)

- **Technical Description**

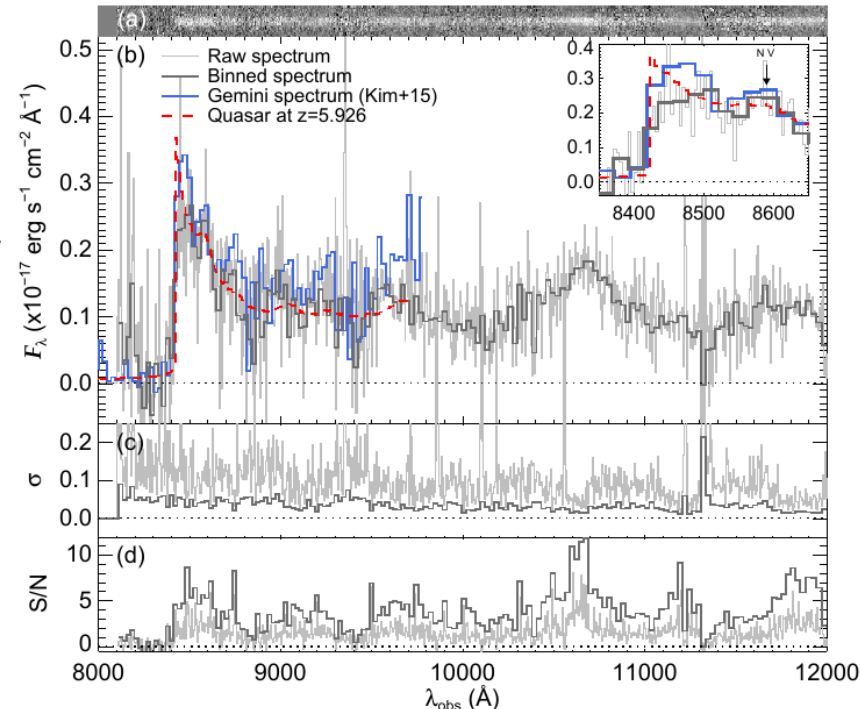
- Focus on **C IV  $\lambda 1549$** , instead of Mg II  $\lambda 2798$
- **Longslit observation** at  $\lambda < 12,000 \text{ \AA}$
- Resolution:  $R_J \sim 500$  (600 km/s)

- **Exposure Time**

- 26 sequences of 908.8s ( $\sim 6.7$  hrs)
- Use 20 frames ( **$\sim 5.0$  hrs**) with seeing  $< 1''$



Magellan Baade 6.5 m Telescope



# Spectral Modeling

## • Continuum Components

- Non-stellar power law + Balmer pseudo-continuum

- $\alpha_P = -1.12^{+0.38}_{-0.40}$

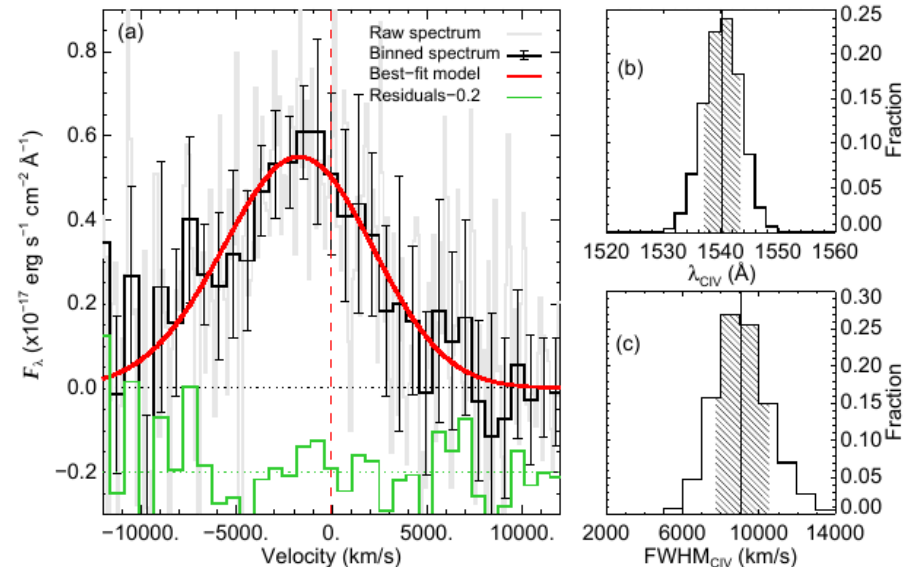
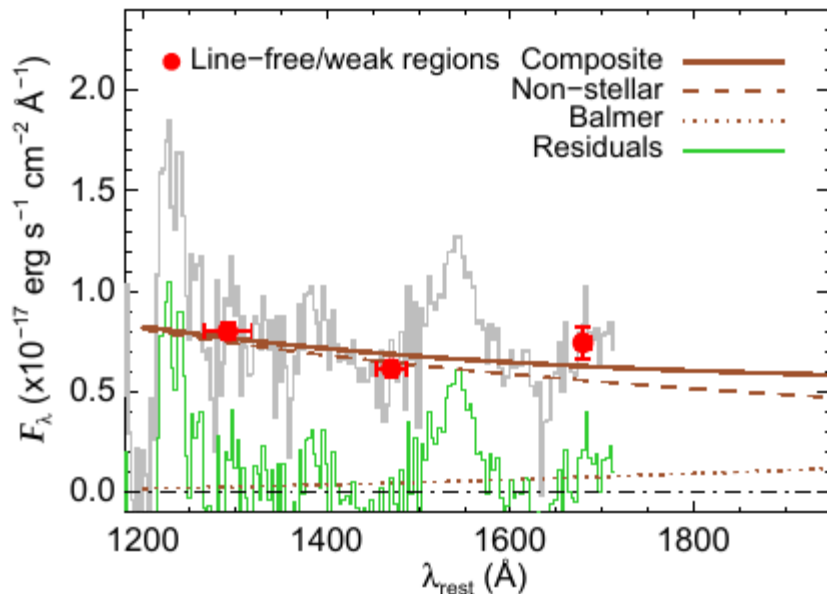
- $\log(L_{\text{bol}}/\text{erg s}^{-1}) = 46.21^{+0.12}_{-0.16}$

$$F_\lambda = F_P \left( \frac{\lambda}{1000\text{\AA}} \right)^{\alpha_P} + F_B B_\lambda(T_e) \left( 1 - e^{-\tau_{\text{BE}}(\lambda/\lambda_{\text{BE}})^3} \right), \lambda < \lambda_{\text{BE}}$$

## • C IV Line Measurement

- Single Gaussian Fitting

- $\lambda_{\text{CIV}} = 1540.32^{+3.14}_{-3.20} \text{\AA}$ ,  $\text{FWHM}_{\text{CIV}} = 9046^{+1499}_{-1305} \text{ km s}^{-1}$



# Black Hole Mass ( $M_{\text{BH,CIV}}$ )

- Using  $\text{FWHM}_{\text{CIV}} + L_{1350}$  as a  $M_{\text{BH}}$  estimator

- Assuming virial motion of CIV emitting gas

$$\log \left( \frac{M_{\text{BH,CIV}}}{M_{\odot}} \right) = A + \log \left\{ \left( \frac{L_{1350}}{10^{44} \text{ erg s}^{-1}} \right)^{\beta} \left( \frac{\text{FWHM}_{\text{CIV}}}{1000 \text{ km s}^{-1}} \right)^{\gamma} \right\}$$

- **Various Assumptions Considering Uncertain  $M_{\text{BH,CIV}}$  Measurements**

- Simple virialized gas with  $\gamma=2$ 
  - $\log M_{\text{BH,CIV}} = 9.27\text{-}9.55$  (Vestergaard+06; Jun+15; Park+17)
- Considering non-virial components with  $\gamma=0.5$ 
  - $\log M_{\text{BH,CIV}} = 8.72$  (Park+17)
- $\text{FWHM}_{\text{CIV}}$  correction with CIV blueshift ( $v_{\text{bs,CIV}}$ )
  - $\log M_{\text{BH,CIV}} = 9.05\text{-}9.27$  (Coatman+17; Jun+17)
- Instead of  $\text{FWHM}_{\text{CIV}}$ , using line dispersion ( $\sigma_{\text{CIV}}$  or  $\sigma_{\text{G}}$ )
  - $\log M_{\text{BH,CIV}} = 8.59$  (Park+17)

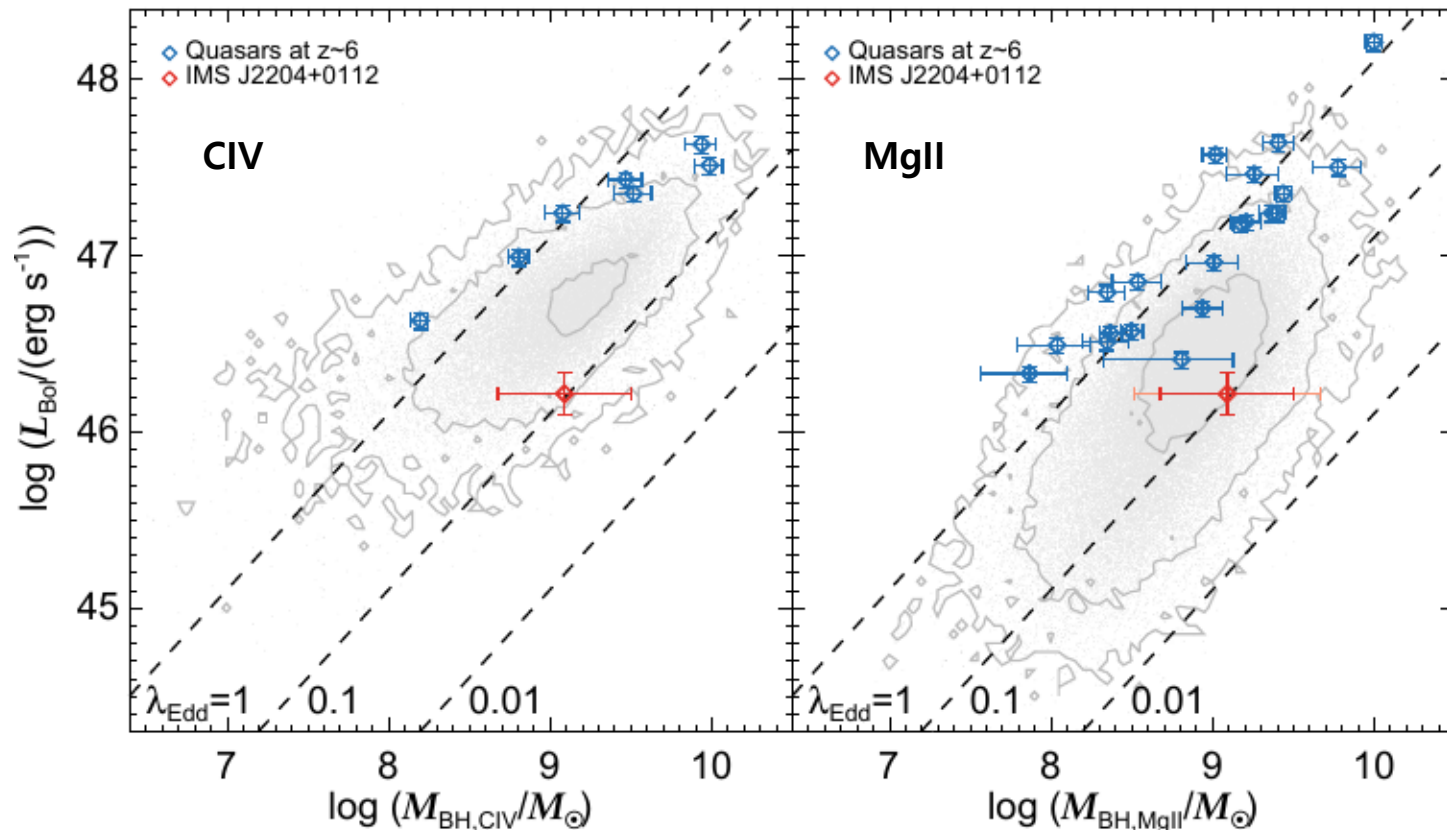
➔ We use a weighted-mean  $M_{\text{BH}}$  value ( $10^{9.09 \pm 0.41} M_{\text{sun}}$ ) as a proxy!

# Eddington Ratio ( $\lambda_{\text{Edd}}$ )

- $\lambda_{\text{Edd}}$  Measurements

- For IMS J2204+0112,  $\lambda_{\text{Edd}} = 0.11$

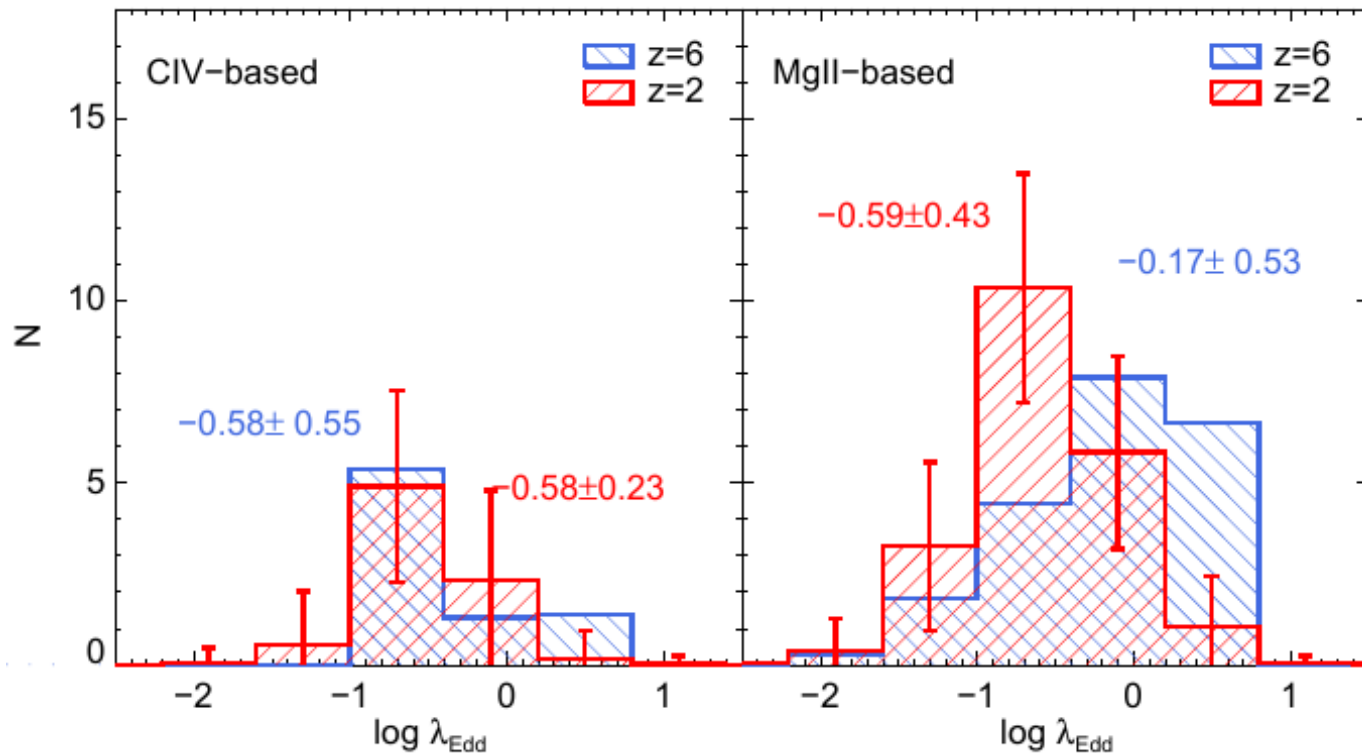
- Only chance of 0.03% ( $3.5\sigma$ ) with the intrinsic  $\lambda_{\text{Edd}}$  distribution from Willott+10  
( $-0.10 \pm 0.26$  dex for IMS depth)



# Eddington Ratio ( $\lambda_{\text{Edd}}$ )

## • Comparison with Low Redshift Counterparts

- For completeness, scaling with **quasar luminosity function (QLF)**
- 10,000 sets of **luminosity-matched  $z \sim 2$  quasars** from Shen+11
  - Comparable (CIV) or larger by 0.42 dex (MgII)
  - Considering small number (7) of CIV, we concentrate on MgII-based sample

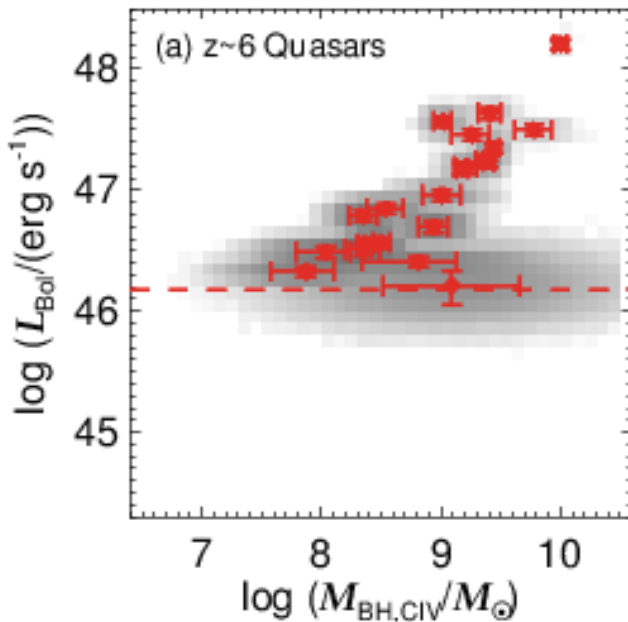
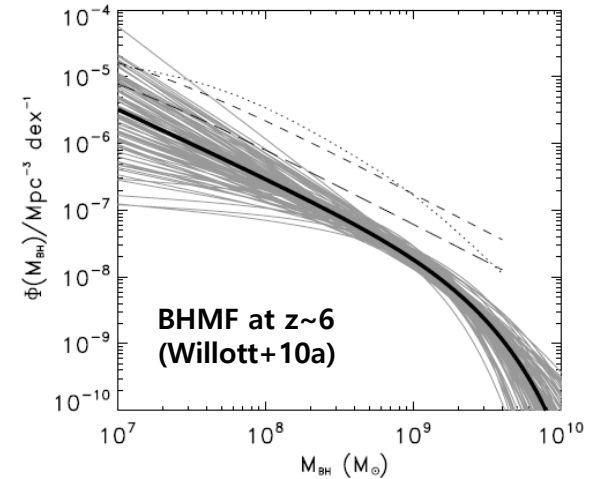


# Low $\lambda_{\text{Edd}}$ for $z \sim 6$ Quasars?

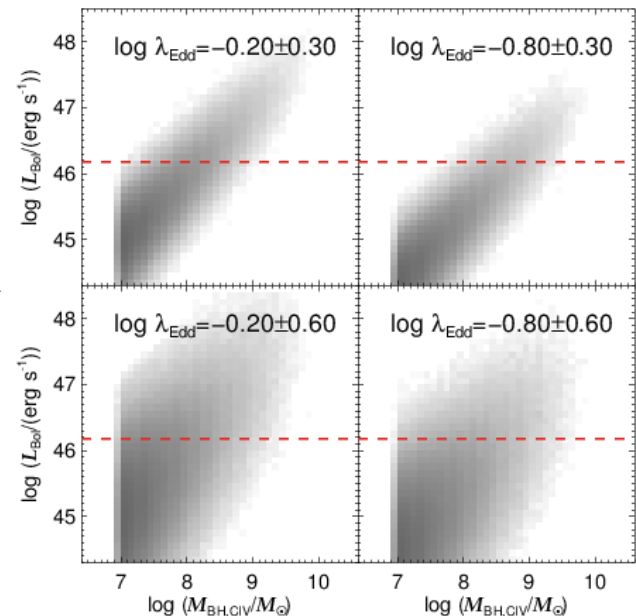
## • Intrinsic $\lambda_{\text{Edd}}$ Distribution of Quasars at $z \sim 6$

### • 2D Fitting for density map on $M_{\text{BH}}\text{-}L_{\text{bol}}$ plane

- 21 observed quasars
- Mock  $10^6$  quasars
  - BH mass function (Willott+10a)
  - Log-normal  $\lambda_{\text{Edd}}$  distribution
- Minimum  $\chi^2_{\text{red}}$  value ( $M_{1450} < -24$  mag)



$$\chi^2_{\text{red}} = \frac{1}{\nu} \sum \frac{(D_{\text{obs},i} - D_{\text{mock},i})^2}{D_{\text{obs},i}}$$



# Low $\lambda_{\text{Edd}}$ for $z \sim 6$ Quasars?

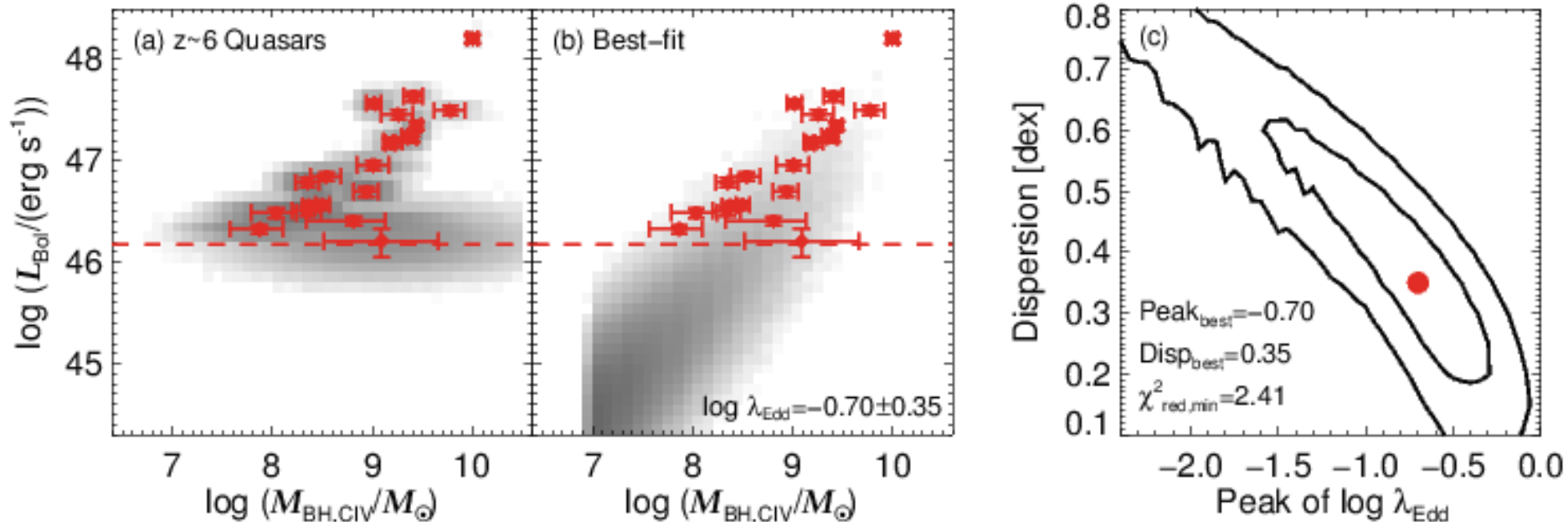
## • Intrinsic $\lambda_{\text{Edd}}$ Distribution of Quasars at $z \sim 6$

### • Best-fit Parameters:

- Peak of  $\log(\lambda_{\text{Edd}}) = -0.70^{+0.40}_{-0.90}$  with dispersion of  $0.35^{+0.25}_{-0.15}$  dex

## • Inclusion of IMS J2204+0112 reduces $\lambda_{\text{Edd}}$ at $z \sim 6$

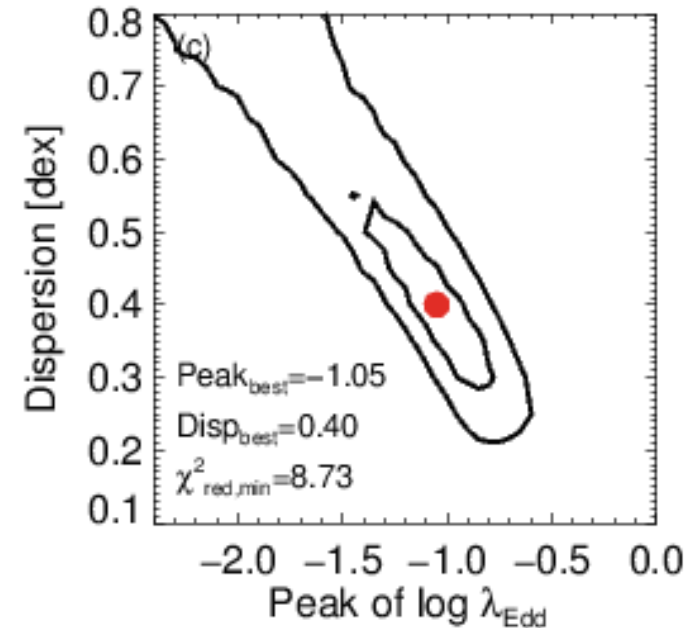
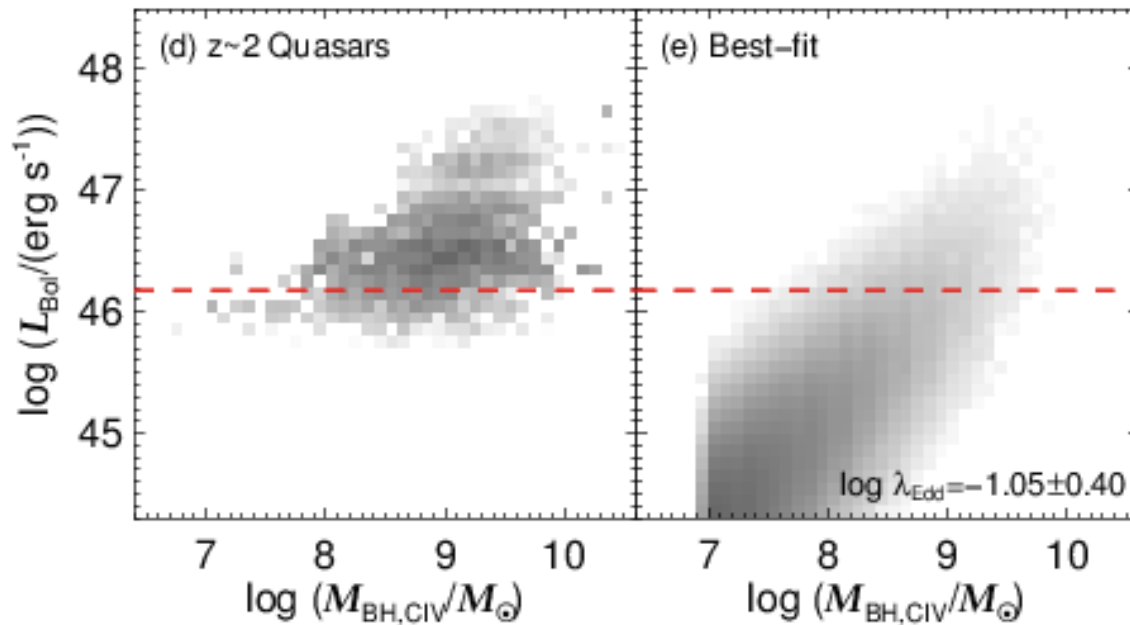
- $\log(\lambda_{\text{Edd}}) = -0.22 \pm 0.30$  dex (Willott+10)  $\rightarrow \log(\lambda_{\text{Edd}}) = -0.70 \pm 0.35$  dex



# Low $\lambda_{\text{Edd}}$ for $z \sim 6$ Quasars?

## • Intrinsic $\lambda_{\text{Edd}}$ Distribution of Quasars at $z \sim 2$

- For  $z \sim 2$  luminosity-matched quasar sample,
  - Generate Density map of the  $z \sim 2$  quasar sample
  - Peak of  $\log(\lambda_{\text{Edd}}) = -1.05^{+0.30}_{-0.35}$  with dispersion of  $0.40^{+0.15}_{-0.10}$  dex
- But  $\lambda_{\text{Edd}}$  at  $z \sim 6$  is still slightly **higher (0.35 dex)** than  $\lambda_{\text{Edd}}$  at  $z \sim 2$



# Implications for SMBH Evolution

- **Low  $\lambda_{\text{Edd}}$  for  $z \sim 6$  Quasars?**

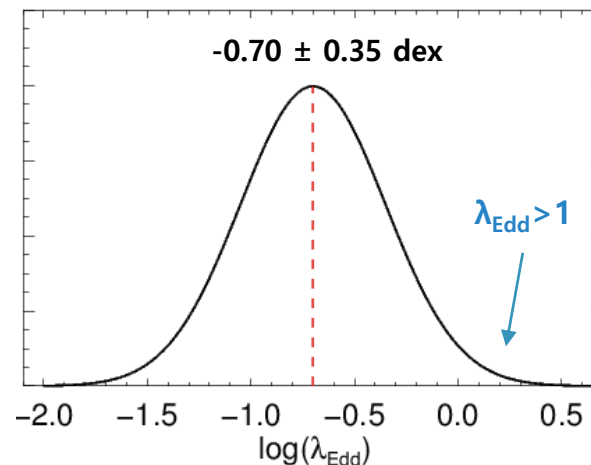
- Significantly worse situation if  $\lambda_{\text{Edd}} = 0.2$
- For stellar mass seed BHs ( $100 M_{\text{sun}}$ ),

$$M_{\text{BH}}(t) = M_{\text{BH},0} \times \exp\left[\lambda_{\text{Edd}} f_{\text{Duty}} \frac{(1 - \epsilon) t - t_0}{\epsilon t_{\text{Edd}}}\right]$$

$$\log M_{\text{BH},0} + \log e \times 10 \times \lambda_{\text{Edd}} f_{\text{Duty}} = 9$$

$$\lambda_{\text{Edd}} f_{\text{Duty}} \simeq 1.6$$

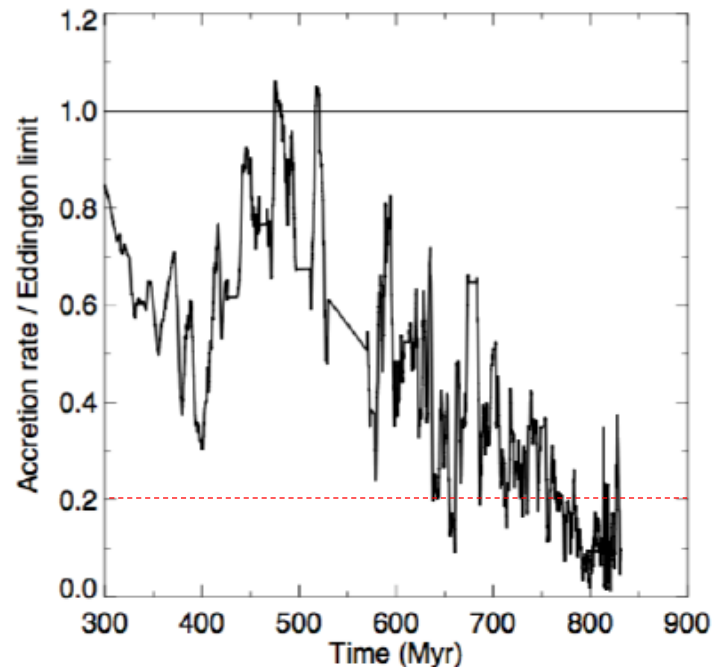
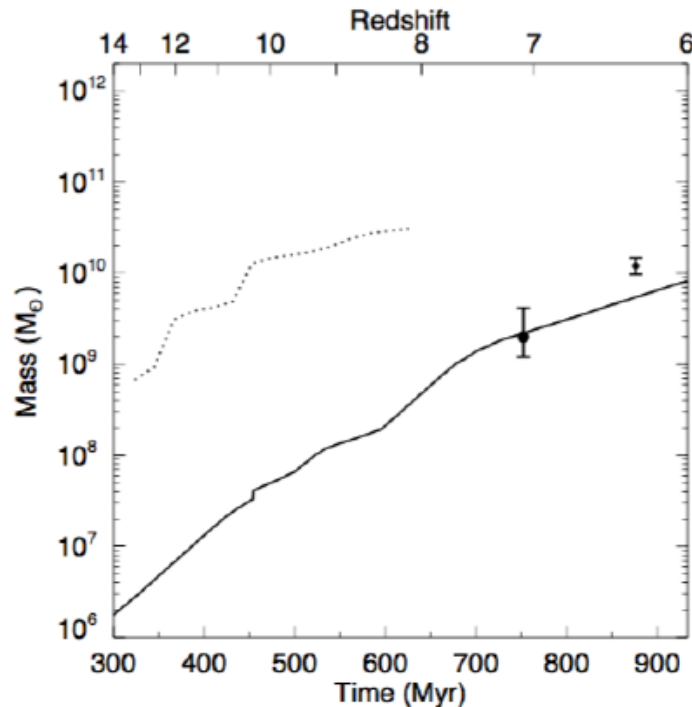
- For  $\lambda_{\text{Edd}} = 3$ ,  $f_{\text{Duty}} = 0.53$ , inconsistent with the intrinsic  $\lambda_{\text{Edd}}$  distribution
- **Episodic high super-Eddington accretion ( $\lambda_{\text{Edd}} > 10$ ) with  $f_{\text{Duty}} \ll 0.1$**



# Implications for SMBH Evolution

- **Low  $\lambda_{\text{Edd}}$  for  $z \sim 6$  Quasars?**

- For heavy seed BHs ( $10^5 M_{\text{sun}}$ ),
  - Reduce accretion time scale by factor of 2 ( $\sim 2.3$  Gyr for  $\lambda_{\text{Edd}} = 0.2$  with  $f_{\text{Duty}} = 1.0$ )
  - **Eddington-limited accretion until  $z \sim 7$  and then reduces to  $\lambda_{\text{Edd}} \sim 0.2$**  when cold gas flows feed the massive seed BHs (Di Matteo+12; Smidt+17)
  - Possible cosmological gas density evolution as  $(1+z)^3$  (Di Matteo+12; De Graf+12)



Smidt+17

# Summary

---

- **IMS J2204+0112: The Lowest  $\lambda_{\text{Edd}}$  Quasar at  $z \sim 6$**

- Deep NIR spectroscopy with FIRE on Magellan 6.5 m Telescope
- $M_{\text{BH,CIV}} = 10^{9.1} M_{\text{sun}}$ ,  $L_{\text{bol}} = 10^{46.2} \text{ erg s}^{-1}$ ,  $\lambda_{\text{Edd}} = 0.11$
- The lowest Eddington ratio quasar at  $z \sim 6$

- **Intrinsic  $\lambda_{\text{Edd}}$  Distribution of  $z \sim 6$  Quasars**

- Inclusion of IMS J2204+0112 ( $M_{1450} < -24 \text{ mag}$ ) reduces the intrinsic  $\lambda_{\text{Edd}}$
- But still slightly higher (0.35 dex) than  $z \sim 2$  quasars

- **Possible Scenarios for the Formation of First SMBHs**

- Episodic super-Eddington ratio accretion ( $\lambda_{\text{Edd}} > 10$ ) with  $M_{\text{BH,seed}} = 100 M_{\text{sun}}$
- $\lambda_{\text{Edd}} \sim 1$  accretion until  $z \sim 7$  and then reduces to  $\lambda_{\text{Edd}} \sim 0.2$  with  $M_{\text{BH,seed}} = 10^5 M_{\text{sun}}$